



# **Property Integration for Simultaneous Process and Product Design**

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### **Outline**

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- Process Design vs. Molecular Design
- Simultaneous Process and Molecular Design
- Motivating Example
- Concepts of Property Clustering
- General Problem Statement
- General Problem Representation
- Minimum Flow Solution Methodology
- •Case Study: VOC Recovery
- $\bullet$ Conclusions

### **Introduction and Motivation 1:2**



- • Conventional Process Design Paradigm
	- <del>katalog katalog a</del> Tracking individual chemical species through balances.
	- – Nature and quantity of chemical constituents needed for characterization and design of chemical processes.
	- Requires enumeration of all constituents.



## **Introduction and Motivation 2:2**



- • New Design Paradigm of Property Integration
	- <del>katalog katalog a</del> Many design problems are not componen<sup>t</sup> dependent.
	- – Driven by properties or functionality of the streams and not their chemical constituency.
	- Only requires tracking of properties NOT chemical species.



### **Process Design vs. Molecular Design**



### **Simultaneous Process and Molecular Design**



### **Motivating Example: VOC Recovery**



## **Concepts of Property Clustering 1:3**

**C2**

**1**

• Definition of Property-based Clusters

**Properties**

μ

 $\bf C$ 

 $\boldsymbol{\mathrm{p}}$ 

ρ

– Surrogate properties which allow the tracking of unconserved raw properties. They are obtained by mapping raw properties into an equi-dimensional domain. The clusters are tailored to have the attractive features of intrastream and inter-stream (mixing/splitting) conservation. For visualization purposes <sup>a</sup> maximum of three property clusters is used. **C**

**C**

**3**

## **Concepts of Property Clustering 2:3**

•

Property Opera  
\n- It is assume  
\ndescribed by a  
\n
$$
\frac{1}{\rho} = \sum_{s=1}^{N_s} \frac{x_s}{\rho_s} \text{ thus } \psi(\overline{\rho}) = \frac{1}{\rho} , \psi(\rho_s) = \frac{1}{\rho_s} \text{ be}
$$
\n
$$
\psi_i(\overline{p}_i) = \sum_{s=1}^{N_s} x_s \cdot \psi_i(p_{i,s}) \text{ , where } x_s = \frac{F_s}{\sum_{s=1}^{N_s} F_s}
$$

– By dividing by an arbitrary reference value the operators are made dimensionless. The summation of the dimensionless operators define the AUgmented Property index.

=

$$
\Omega_{i,s} = \frac{\psi_i(p_{i,s})}{\psi_i^{\text{ref}}} \hspace{1cm}\text{and}\hspace{1cm} \text{AUP}_s = \sum_{i=1}^{N_C} \Omega_{i,s}
$$

## **Concepts of Property Clustering 3:3**

 $C<sub>2</sub>$ 

•Cluster Definition

> –Full derivation, Shelley & El-Halwagi (2000)

si,s  $^{\rm i,s}$   $\overline{\rm AUP}$  $\bf C$  $\Omega$ 

– Intra-stream and inter-stream conservation.



### **General Problem Statement**

### •Given

- Process sources with known **properties**.
- Process sinks with constraints on their feed **properties**.
- <u>– Liberator Angelski, politik a po</u> Interception techniques, which can alter property values.

### •Desired

 Process objectives of optimum allocation, recovery, and interception.

### **General Problem Representation**



### **Minimum Flow Solution Methodology**



## **Case Study: VOC Recovery 1:9**





### **Case Study: VOC Recovery 2:9**

### •Experimental Data

– <del>katalog katalog a</del> Property values are available for the off-gas condensate as <sup>a</sup> function of condensation temperature at 2 atm.



## **Case Study: VOC Recovery 3:9**

### •Sink Constraints



- • Solution Objectives
	- Minimize flowrate of fresh organic solvent
	- Synthesize single componen<sup>t</sup> solvent for each unit

# **Case Study: VOC Recovery 4:9**



# **Case Study: VOC Recovery 5:9**

**C1** $\mathsf{C}_3$ **C 2 Rup** 0.8 0.6 0.4 0.2 $\mathcal{O}^{\bullet}$  $6^{0}$  $\widetilde{\mathcal{C}}$  $\frac{2}{\sqrt{2}}$  $\mathcal{O}_{\mathbf{\hat{o}}}$ ං<br>ග  $\frac{1}{\alpha}$  $\circ$ 280K 285K 290K 295K 300K 305K 310K  $\mathfrak{S}^{\circ}$  $\zeta$ 315K **Flowrights** 10.0 20.0  $\frac{1}{20}$ . **DEGREASER DEGREASER ABSORBERCONDENSATION**  $\mathcal{F}_{\mathit{f}_\mathit{I\!P\mathit{S}\mathit{f}_\mathit{I}}} \approx$ 6.6 kg/min F<sub>resh, min = 7.1</sub><br>Kg/min Feasible Mixing Paths at 280K **Results Obtained for Degreaser at 280 K** Target flowrate of fresh: 6.6 kg/min Minimum feasible flowrate of fresh: 11.8 kg/min

### **Case Study: VOC Recovery 6:9**

**C1C 3 C 2 AU** 0.8 0.6 0.4 0.2 $0.2$  $\circ$ 0.6  $\widetilde{\rho}_{\check{\alpha}}$  $\frac{2}{\sqrt{2}}$ ි. ္တိ  $\frac{Q}{\mathbf{Y}}$  $\ddot{\circ}$ 280K285K 290K295K 300K 305K310K  $\mathfrak{S}^{\mathfrak{S}}$  $50^{\circ}$ 315K **Flowrights** 10.0 20.0  $\frac{1}{20}$ .  $\frac{1}{20}$   $\frac{1}{20}$   $\frac{1}{20}$   $\frac{1}{20}$  **DEGREASER DEGREASER ABSORBER CONDENSATION**  $\mathcal{F}_{\mathit{r_{\text{es}}}}$ 6.6 kg/min F<sub>resh, min = 7.1</sub> kg/min Feasible Mixing Paths at 285K **Results Obtained for Degreaser at 285 K** Target flowrate of fresh: 7.1 kg/min Minimum feasible flowrate of fresh: 7.1 kg/min

### **Case Study: VOC Recovery 7:9**

- • Reducing the Solution Space of the CAMD Problems
	- No phenols, amines, amides or polyfunctional compounds.
	- No compounds containing double/triple bonds.
	- No compounds containing silicon, fluorine, chlorine, bromine, iodine and sulfur.
- $\bullet$ Property Constraints



## **Case Study: VOC Recovery 8:9**



### •Solving CAMD Problem



- **ProCAMD, CAPEC (2001)**
- **Algorithm, Harper (2000)**





## **Case Study: VOC Recovery 9:9**





### **Conclusions**

### •Property Integration

- –New paradigm for integrated design of processes.
- – Property Interception Network provides property-based representation of the system.
- –Visualization provides insights to solving overall problem.
- Simultaneous Process and Molecular Design
	- $\mathcal{L}_{\mathcal{A}}$  , where  $\mathcal{L}_{\mathcal{A}}$  is the set of  $\mathcal{L}_{\mathcal{A}}$  Identifies property values corresponding to optimum process performance without committing to components.
	- Property values are then used for molecular design yielding the corresponding components.
	- Usefulness demonstrated by case study.

### **Further Information**

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